

# Is there $np$ pairing in $N=Z$ Nuclei?

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There are many experimental observables (signatures) supporting the existence of a condensate of  $nn$  and  $pp$  pairs, but few have been discussed for the case of an  $np$  pair condensate. In this work [1] we present an analysis of experimental binding energies of  $N=Z$  nuclei and the relative excitation energies of the lowest  $T=0$  and  $T=1$  states in self-conjugate ( $N=Z$ ,  $T_z=0$ ) odd-odd nuclei. The binding energy difference is used as a measure of the pair gap. We conclude there is no evidence for a  $T=0$   $np$  pairing condensate.

Figure 1 shows, as a function of mass, the difference in binding energies between the  $T=0$  ground state in an even-even  $N=Z$  nucleus and (i) the lowest  $T=0$  state in an odd-odd  $N=Z$  nucleus (circles), or (ii) the lowest  $T=1$  state in an odd-odd  $N=Z$  nucleus (squares). For  $T=1$  states we have subtracted the average symmetry energy contribution to the binding energy,  $E_{sym}^{T=1} = 150/A$  (MeV), in order to isolate the collective pairing contribution. There is no correction for  $T=0$  states. The solid line shows the adopted smooth dependence of  $\Delta$  on  $A$  ( $2\Delta \sim 24/A^{1/2}$  MeV) used to describe the  $nn$  and  $pp$   $T=1$  pair gap in  $N>Z$  nuclei.

The  $T=0$  binding energy difference is large and follows the average  $2\Delta \sim 24/A^{1/2}$  MeV dependence observed throughout the nuclear chart. The lowest  $T=0$  states in odd-odd  $N=Z$  nuclei then behave like those in any other odd-odd nucleus where the extra  $n$  and  $p$  block the  $T=1$  pairing to the same degree as any “standard” 2-quasiparticle state. In contrast, the  $T=1$  binding energy difference is close to zero, after correcting for the symmetry energy. Correcting for the symmetry term (in a manner similar to the volume or Coulomb terms) will not remove the collective pair correlations which we are looking for.

The data in figure 1 can be understood if we assume full ( $nn$ ,  $pp$ , and  $np$ )  $T=1$  collective pairing and no (or very little)  $T=0$  collective pairing. If there were a significant  $T=0$  condensate then the  $T=0$  binding energy difference would be smaller than the gap given by  $2\Delta \sim 24/A^{1/2}$  MeV, which represents a maximum value. In fact, for a pair condensate comprising an equal amount of  $T=0$  and  $T=1$  pairs ( $SU(4)$  limit) the observed  $T=0$  and  $T=1$  gaps would be equal and  $\sim 0$ .

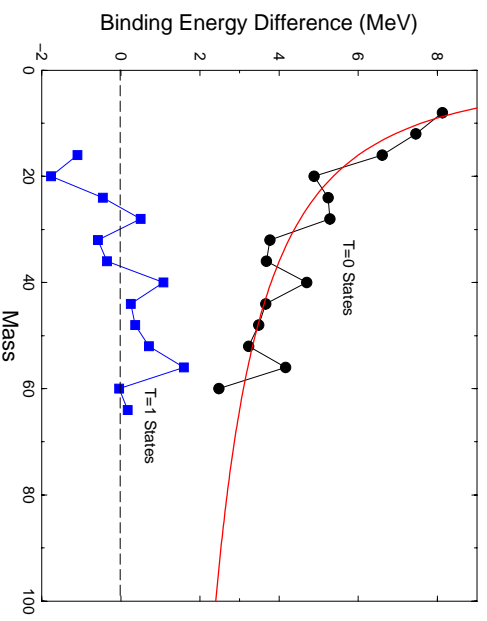


Figure 1: Binding energy differences, as a function of  $A$ , between the  $T=0$  ground state in an even-even  $N=Z$  nucleus and (i) the lowest  $T=0$  state in an odd-odd  $N=Z$  nucleus (circles), or (ii) the lowest  $T=1$  state in an odd-odd  $N=Z$  nucleus (squares), after subtracting an average symmetry energy contribution ( $E_{sym}^{T=1} = 150/A$  MeV). The solid line is  $2\Delta \sim 24/A^{1/2}$  MeV.

[1] A.O.Macchiavelli et al., Phys. Rev. C (in press).